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## A new method to determine DNA sugar conformation from the joint use of 2D and 3D NMR data

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#### Summary

The use of sugar restraints has been proven essential for assessing DNA structures through molecular modeling studies. We present a new method combining 2D (COSY and NOESY) and 3D (NOESY-NOESY) experiments, where constraints on either the phase angles or the difference between phase angles of two residues are obtained from comparison of 2D NOE H1'-H4' intensities and 3D NOE intensities containing the H1'-H4' transfer. All experiments lead to restraints that match, proving the validity of the method.

A large number of studies have shown that sugar conformations play a fundamental role in fashioning the DNA double helix structure (Mauffret et al., 1992; Poncin et al., 1992; Lefebvre et al., 1995). Thus, accurate NMR constraints on sugar phases are needed in a DNA modeling strategy. Pseudorotational angles of sugars are generally obtained by using a combination of various methods based upon (i) simulation of COSY cross peaks (Widmer and Wüthrich, 1987); (ii) measurements of COSY coupling sums (Van Wijk et al., 1992); (iii) determination of COSY coupling constants (Hosur et al., 1986; Kim et al., 1992); and (iv) determination of NOE distances (Wüthrich, 1986). Yet, the above measurements are not always feasible, as large DNA molecules often lead either to too broad NMR signals, precluding access to sugar conformation via (i) and (ii), or to signal overlappings in 2D spectra.

We present a procedure combining 2D and 3D experiments and providing the H1'-H4' intranucleotide distance, which is strongly related to the sugar conformation. Studies were carried out with a 15-mer pseudopalindromic B-DNA, d(GAGATGACTCATCTC/GAGATGAGTCAT-CTC) (Fig. 1), which is hereafter denoted TRE-15. In its center, TRE-15 encompasses the heptanucleotide TRE (TPA Responsive Element) specifically recognized by bZIP proteins of the AP-1 family during the transcription process (reviewed by Karin et al., 1997).

So far (see below), 3D <sup>1</sup>H NOE-NOEs have been used according to two different procedures for the determination of macromolecule structures. Distances have been derived from 3D intensities using the approximation  $I_{ijk} \propto r_{ij}^{-6} r_{jk}^{-6}$ , where  $I_{ijk}$  is the 3D NOE intensity and r values are distance constraints involved in the 3D connectivity (Holak et al., 1991). In a more accurate approach, 3D cross-peak NOE intensities have been used directly in structure calculations (Bonvin et al., 1991; Habazettl et al., 1992; Bernstein et al., 1993). The present method proceeds through the comparison of 3D NOE intensities. Since

$$I_{3D}[H4'-H1'-X] \propto I_{2D}[H1'-H4']_{intra} * I_{2D}[H1'-X]$$
 (1)

where X stands for any proton detected in the acquisition dimension (Boelens et al., 1989; Griesinger et al., 1989; Habazettl et al., 1992; Donne et al., 1995), when the  $I_{2D}$ [H1'-X] values are similar, comparing  $I_{3D}$ [H4'-H1'-X] of one peak to that of another peak is equivalent to comparing the 2D NOE intensities  $I_{2D}$ [H1'-H4']<sub>intra</sub>.

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# 5' $G_1 \underline{A}_2 \underline{G}_3 A_4 = T_5 G_6 A_7 \underline{C}_8 T_{10} C_{11} \underline{A}_{12} T_{13} \underline{C}_{14} T_{15} C_{16} 3' (TRE[C])$ 3' $C_{32} T_{31} \underline{C}_{30} T_{29} = A_{28} \underline{C}_{27} T_{26} \underline{G}_{25} \underline{A}_{23} \underline{G}_{22} \underline{T}_{21} A_{20} \underline{G}_{19} \underline{A}_{18} \underline{G}_{17} 5' (TRE[G])$

Fig. 1. Sequence of the TRE-15 DNA fragment analyzed in this work. For use in future comparisons, residues are numbered to adopt the numbering of residues in CRE-16, which is related to TRE-15 through an additional base pair ( $G_9 C_{24}$ ). The consensus functional sequence TRE is boxed. The duplex was dissolved at 3 mM concentration in a phosphate buffer containing 1 mM EDTA at pH 7, ionic strength I=0.1. NMR experiments were performed in D<sub>2</sub>O at 30 °C on a Bruker AMX 500 spectrometer. Spectra were then processed on an X32 Bruker station or a Silicon Graphics INDIGO R4000 workstation with the FELIX software (v. 2.35).

As visualized in Fig. 2, where H1'-H4' intraresidue 2D NOE cross-peak intensities are found in the same increasing order at mixing times from 50 to 300 ms, H1'-H4' intranucleotide distances are distorted only to a small extent by the spin diffusion effect (Chuprina et al., 1993). This phenomenon is likely due to the fact that in B-DNA, the H1' and H4' sugar protons are in close spatial proximity (2.6–3.6 Å) and their distances to neighboring protons either do not vary significantly (in the case of H1'-H2'', H1'-H2' and H3'-H4') or are very large (in the case of H2''-H4'). Thus, comparing the  $I_{2D}$ [H1'-H4']<sub>intra</sub> values measured at 300 ms mixing time is equivalent to comparing the H4'-H1' intraresidue distances and, hence, the



Fig. 2.  $r[H1'-H4'](T_m) = r_{ref} * [V_{ref}(T_m)/V(T_m)]^{1/6}$  as a function of the mixing time  $T_m$ . V is the NOE volume;  $V_{ref}$  is the NOE volume of the reference cross peak, which is the non-terminal H5-H6 cytosine correlation;  $r_{ref}$  is the reference distance, which is the non-terminal H5-H6 cytosine distance taken equal to 2.5 Å. / means overlapped peaks and = means identical residues. Distances indicated in parentheses are in Å and were estimated using the extrapolation method (Baleja et al., 1990a,b; Mauffret et al., 1992) as a first order correction for spin diffusion effects:  $d[H1'-H4'] = \lim_{T_m \to 0} r[H1'-H4'](T_m)$ .

TABLE 1 CONSTRAINTS APPLIED TO PSEUDOROTATIONAL ANGLES

Phase (°) (min < Pn <max)< th=""><th colspan="3">Difference of phases (°)</th></max)<>	Difference of phases (°)			
140 < P2=P18 < 180	P12-P2>15			
115 < P3=P19 < 175	P12-P3 > 15			
115 < P5 < 145	P23-P2>15			
115 < P8 < 145	P23-P3 > 15			
110 < P10 < 155				
110 < P11 < 155	P3-P5 > 10			
135 < P12 < 200	$\overline{P4-P5 > 10}$			
120 < P13=P29 < 145	P12-P4 > 10			
90 < P14=P30 < 110	P6-P22 > 10			
120 < P15=P31 < 145				
115 < P21 < 145	-5 < P23 - P7 < 5			
135 < P23 < 200				
115 < P25 < 145	P4 = P20			
110 < P26 < 160				
110 < P27 < 155				
135 < P28 < 200				

Underlined restraints were determined by 2D experiments (NOESY and COSY). A DQF (double quantum filtered)-COSY (Piantini et al., 1982; Rance et al., 1983) was recorded. Data were collected with 4096 points in the acquisition dimension  $t_2$  and 700 points in  $t_1$ , with a spectral width of 5050 Hz in each dimension; the relaxation delay was 1.5 s. Data were apodized using sine-bells, 60° shifted in the t<sub>2</sub> dimension and 30° phase shifted in the t1 dimension and zero-filled after Fourier transformation to obtain a 4096×2048 real matrix. Quantitative 2D NOE experiments were recorded at six different mixing times with a spectral width of 4504 Hz. A recycle delay of 2 s was used, as this is enough to provide relaxation of all protons, except adenine H2 protons (Lefebvre et al., 1995). A total of 800 experiments (t<sub>1</sub>) were performed with 1024 (t<sub>2</sub>) complex points acquired for each FID. For each  $t_1$ , 32 scans were collected.  $t_1$  and  $t_2$  data were apodized with a sine-squared 90° phase-shifted function and a sine-squared 60° phaseshifted function, respectively. Two dimensions were zero-filled to 2048 points. Baseline correction was performed with a baseline convolution method (Dietrich et al., 1991). The input precision for distances H1'-H4' is ±0.4 Å for distances greater than 3.0 Å and ±0.2 Å for distances between 2.5 and 3.0 Å (Lefebvre et al., 1995). This takes into account the difference of intensities between cross peaks up and down the spectrum diagonal, spin diffusion effects and extrapolation back to zero mixing time. Input precision for the phases and phase differences are determined as follows. In Wüthrich (1986), H1'-H4' distances as a function of P display an almost straight line for 120° < P < 200° with 40° representing 0.5 Å. For H1'-H4' distances greater than 3.0 Å or lower than 3.0 Å, the input precision for distances is 0.8 Å and 0.4 Å, respectively. Thus, for distances greater than 3.0 Å and for distances lower than 3.0 Å, precision inputs for P result in 60° and 30°, respectively. The average difference between H1'-H4' cross peaks along the diagonal is found around 0.05 Å, corresponding to a P difference of 5°, which allowed 5° increments for P difference constraints.

pseudorotational angles (Wüthrich, 1986). Since the accuracy of measurements is higher at longer mixing times, we use hereafter 3D intensities collected at 300 ms. This provides a set of constraints based on differences between the phases of two residues. Such constraints are less stringent compared to constraints on a single angle and lead to a lower energy cost in molecular modeling.

As TRE-15 is not palindromic (Fig. 1), its two strands do not display an identical NOE correlation pathway across the consensus sequence (data not shown). The differences decrease progressively from the center of the molecule to each extremity and can no longer be detected on the external base pairs:  $A_{2=18}$ ,  $G_{3=19}$ ,  $A_{4=20}$ ,  $T_{5=21}$ ,  $A_{12=28}$ ,  $T_{13=29}$ ,  $C_{14=30}$  and  $T_{15=31}$ .

2D experiments (NOESY and COSY) provide a first set of pseudorotational constraints (Table 1) via (iii) and (iv) listed above. A model implying a fast equilibrium between several sugar conformations is not considered, since our experimental values can be fit through a single South-state conformation (see for instance Gochin and James, 1990; Gochin et al., 1990).

The COSY spectra yield:  ${}^{3}J(H1'H2') > {}^{3}J(H1'H2'')$ , and thus 90° < P < 200° (P designates the phase angle) for every sugar. For such a P range, the P values determined from H1'-H4' distances (Fig. 2; Wüthrich, 1986) and  ${}^{3}J(H3'H4')$  and  ${}^{3}J(H3'H2')$  coupling constants measured from COSY cross-peak intensities (Hosur et al., 1986; Kim et al., 1992) are less than 145° for pyrimidines C<sub>8</sub>,  $T_{13}=T_{29}$  and  $T_{15}=T_{31}$ . We note that the purine G<sub>25</sub> is also characterized by strong  ${}^{3}J(H3'H4')$  and  ${}^{3}J(H3'H2')$  coupling constants, in favor of a P value less than 145°, while  $A_{2=18}$  displays a very weak  ${}^{3}J(H3'H4')$  coupling constant, in favor of a P value greater than 140°. For C<sub>14=30</sub>, the presence of a H2"-H3' cross peak in the COSY spectrum and a small H1'-H4' distance value (Fig. 2) confer to this residue an East sugar conformation (O1'-endo).

Both molecular mechanics studies (Poncin et al., 1992) and experimental results (Mauffret et al., 1992; Chuprina et al., 1993; Lefebvre et al., 1995) have confirmed that pyrimidines prefer P values lying between 90° and 160°, and purines prefer P values between 140° and 200°. For purines, two cases are possible: either 140° < P < 170°, generally related to a high amplitude value (>40°), or 170° P < 200°, more compatible with a low amplitude value (<38°).

The purine P values are determined more accurately by comparing r values of the H1'-H4' NOEs at all mixing times, and the corresponding H1'-H4' distances given by the extrapolation method, without taking into account the input precision. NOE intensity differences reflect distance differences, and thus phase differences. At each mixing time, the above r values found for  $A_{23}$  and  $A_{12=28}$  are larger by 0.15 Å or more than the r values for  $A_{2=18}$  and  $G_{3=19}$  (Fig. 2). At the same time, distances provided by the extrapolation method are about 3.3 Å for  $A_{23}$  and  $A_{12=28}$ .

TABLE 2 SOME PROTON CHEMICAL SHIFTS (H68, CH3, H1' AND H4') (ppm) OF TRE-15 AT 30 °C

	CH3 (T)	Bases H68	Sugars	
			H1'	H4'
G1		7.74	5.46	4.06
A2		8.07	5.88	4.3
G3		7.58	5.53	4.3
A4		7.99	6.11	4.35
T5	1.2	6.91	5.55	4
G6		7.69	5.4	4.22
A7		8.03	6.09	4.35
C8		7.1	5.62	4.05
T10	1.37	7.24	5.88	3.96
C11		7.39	5.43	4.01
A12		8.2	6.14	4.31
T13	1.31	7.08	5.76	4.1
C14		7.47	5.87	4.07
T15	1.6	7.41	6.02	4.09
C16		7.58	6.18	3.93
G17		7.74	5.46	4.06
A18		8.07	5.88	4.3
G19		7.58	5.53	4.3
A20		7.99	6.11	4.35
T21	1.2	6.9	5.55	4
G22		7.69	5.39	4.2
A23		7.95	5.96	4.33
G25		7.37	5.69	4.24
T26	1.06	7.05	5.86	4
C27		7.39	5.46	4.06
A28		8.2	6.14	4.31
T29	1.31	7.08	5.76	4.1
C30		7.47	5.87	4.07
T31	1.6	7.41	6.02	4.09
C32		7.58	6.18	3.93

and 3/3.1 Å for  $A_{2=18}$  and  $G_{3=19}$ . Differences observed between the above two sets of residues yield a phase angle difference of roughly 15° (Table 1). For  $T_{5=21}$ , the extrapolation method provides an H1'-H4' intranucleotide distance of about 2.8 Å, and at each mixing time the distance value is 0.2 Å shorter compared to the distance found for  $G_{3=19}$  (Fig. 2), corresponding to a difference P3– P5 > 10° (Table 1).

In summary, residues can be gathered in three groups: pyrimidines ( $T_{5=21}$ ,  $T_{13=29}$ ,  $T_{15=31}$ ,  $C_8$ ), characterized by the smallest H1'-H4' distances and phase angles; purines ( $A_{2=18}$ ,  $G_{3=19}$ ) with medium H1'-H4' distances and phase angles; and purines ( $A_{12=28}$  and  $A_{23}$ ) showing the largest H1'-H4' distances and phase angles.

2D NOE signal overlap prevents the conformational analysis of many sugars (Fig. 1). This overlap concerns, for instance, the H1'-H4' NOE cross peaks of  $A_{4=20}$  and  $A_7$  (Table 2). The global peak intensity is measured at each mixing time, divided by three, and the resulting value is compared to non-overlapped peak intensities. The thus estimated average intensity is found to be comparable to cross-peak intensities displayed by adenines  $A_{23}$ 

TABLE 3
USED 2D AND 3D NOE INTENSITIES AT 300 ms

2D cross peaks		Percentage of similar-	Peaks $[\omega 1 - \omega 2 - \omega 3]$ to be compared	Intensities to
Intensities I <sub>A</sub>	Intensities I <sub>B</sub>	ity $2*[I_A-I_B]/[I_A+I_B]$		be compared
H1'(G <sub>25</sub> )-CH3(T <sub>26</sub> ) 159	H1'(C <sub>8</sub> )-CH3(T <sub>10</sub> ) 141		[H4'(C <sub>8</sub> )-H1'(C <sub>8</sub> )-CH3(T10)]	0.276
		12	[H4'(G <sub>25</sub> )-H1'(G <sub>25</sub> )-CH3(T <sub>26</sub> )]	absent (<0.1)
H1'( $C_8$ )-H6( $T_{10}$ ) 103 H	H1'(G <sub>25</sub> )-H6(T <sub>26</sub> ) 114		[H4'(C <sub>8</sub> )-H1'(C <sub>8</sub> )-H6(T <sub>10</sub> )]	0.87
		10	[H4'(G <sub>25</sub> )-H1'(G <sub>25</sub> )-H8(T <sub>26</sub> )]	< 0.1
H1'( $T_{5=21}$ )-H6( $T_{5=21}$ ) 283	$H1'(G_{3=19})-H8(G_{3=19})$ 288		$[H4'(T_{5=21})-H1'(T_{5=21})-H6(T_{5=21})]$	1.34
		2	$[H4'(G_{3=19})-H1'(G_{3=19})-H8(G_{3=19})]$	0.427
H1'( $A_{2=18}$ )-H8( $A_{2=18}$ ) 364	H1'( $T_{5=21}$ )-H6( $T_{5=21}$ ) 283		$[H4'(A_{2=18})-H1'(A_{2=18})-H8(A_{2=18})]$	0.48
			$[H4'(T_{5=21})-H1'(T_{5=21})-H6(T_{5=21})]$	1.34
H1'( $A_{12=28}$ )-H6( $T_{13=29}$ ) 304 H1	H1'( $A_{4=20}$ )-H6( $T_{5=21}$ ) 304		$[H4'(A_{12=28})-H1'(A_{12=28})-H6(T_{13=29})]$	< 0.5
		0	$[H4'(A_{4=20})-H1'(A_{4=20})-H6(T_{5=21})]$	1.41
H1'( $T_{5=21}$ )-H8( $G_{6/22}$ ) 215	H1'( $A_{4=20}$ )-H6( $T_{5=21}$ ) 304		$[H4'(A_{4=20})-H1'(A_{4=20})-H6(T_{5=21})]$	1.41
			$[H4'(T_{5=21})-H1'(T_{5=21})-H8(G_{6/22})]$	3.26
H1'(A <sub>7</sub> )-H6(C <sub>8</sub> ) 168	H1'(A23)-H8(G25) 169		$[H4'(A_7)-H1'(A_7)-H6(C_8)]$	< 0.5
		1	[H4'(A <sub>23</sub> )-H1'(A <sub>23</sub> )-H8(G <sub>25</sub> )]	0.5
H1'(C <sub>11</sub> )-H8(A <sub>12</sub> ) 119	H1'(C <sub>27</sub> )-H8(A <sub>28</sub> ) 128			
		7		
H1'( $C_{11/27}$ )-H8( $A_{12=28}$ ) 247 H1'( $T_{5=21}$ )	H1'( $T_{5=21}$ )-H8( $G_{6/22}$ ) 215		$[H4'(C_{11/27})-H1'(C_{11/27})-H8(A_{12=28})]$	2.00
		14	$[H4'(T_{5=21})-H1'(T_{5=21})-H8(G_{6/22})]$	3.26
H1'(G <sub>6</sub> )-H8(A <sub>7</sub> ) 199 H1'(G <sub>22</sub> )-H8(A	H1'(G <sub>22</sub> )-H8(A <sub>23</sub> ) 214		$[H4'(G_6)-H1'(G_6)-H8(A_7)]$	absent (<0.1)
		7	[H4'(G <sub>22</sub> )-H1'(G <sub>22</sub> )-H8(A <sub>23</sub> )]	1.42
$H1'(T_{10})-H6(T_{10})$ 146 H1	H1'(A <sub>23</sub> )-H8(A <sub>23</sub> ) 160		$[H4'(T_{10})-H1'(T_{10})-H6(T_{10})]$	1.32
		9	[H4'(A <sub>23</sub> )-H1'(A <sub>23</sub> )-H8(A <sub>23</sub> )]	absent (<0.1)

A slash means overlapped cross peaks.

and  $A_{12=28}$ , which in fact correspond to the smallest intensities (Fig. 2). We thus conclude that the P values of  $A_{4=20}$ and  $A_7$  are similar to those of  $A_{23}$  and  $A_{12=28}$ . The intensity of the overlapped cross peaks of  $T_{10}$  and  $T_{26}$ , once divided by two, is similar to intensities of non-overlapped pyrimidine cross peaks at each mixing time (Fig. 2). Short H1'-H4' r values are thus derived for  $T_{10}$  and  $T_{26}$  and are compatible with phase angles less than 155°. For each mixing time, the intensity of overlapped H1'-H4' NOE cross peaks of G<sub>6</sub> and G<sub>22</sub> (Table 2), divided by two, provides an intermediate value between the intensities of the  $A_{23}$  and  $G_3$  cross peaks. In this case, there are three possibilities: the P values of both G<sub>6</sub> and G<sub>22</sub> can be intermediate between those of  $A_{23}$  and  $G_3$ ; the P value of  $G_6$ can be comparable to the one of G<sub>3</sub> and that of G<sub>22</sub> comparable to the one of  $A_{23}$ ; and, conversely, the P value of  $G_6$  can be comparable to the one of  $A_{23}$  and that of  $G_{22}$ comparable to the one of  $G_3$ . As for  $C_{11}$  and  $C_{27}$ , no information can be obtained from 2D experiments (Table 2).

A 3D NOE-NOE experiment has been conducted to obtain more reliable information on P values. Three magnetization transfers containing the intranucleotide H1' $\rightarrow$ H4' transfer,  $i\rightarrow j\rightarrow k$  [( $\omega$ 1) $\rightarrow$ ( $\omega$ 2) $\rightarrow$ ( $\omega$ 3)] (k is the proton detected in the acquisition dimension) are considered for a nucleotide denoted n, with n+1 being the following nucleotide on the 3' side: (1) H4'(n) $\rightarrow$ H1'(n) $\rightarrow$ H68(n); (2) H4'(n) $\rightarrow$ H1'(n) $\rightarrow$ H68(n+1) and (3) H4'(n) $\rightarrow$ H1'(n) $\rightarrow$ CH3(n+1). Among these chemical shifts, CH3

and H68 present the opportunity to be well separated (Table 2).

By starting with residues whose 2D H1'-H4' cross peaks are not overlapped, the validity of our method was checked. We selected residues  $C_8$  and  $G_{25}$  and used the above mentioned correlation way (3). The 2D NOE H1'(n)-CH3(n+1) cross peaks of these two residues are not overlapped (Table 2) and, at 300 ms mixing time, differ by only 12% (Table 3). The 3D cross-peak intensity at 300 ms mixing time is proportional to the intensity product of the two successive 2D NOE transfers at 300 ms (H4'(n) $\rightarrow$ H1'(n) and then H1'(n) $\rightarrow$ CH3(n+1)). Since I<sub>2D</sub>[CH3(n+1)-H1'(n)] of C<sub>8</sub> and G<sub>25</sub> are similar, comparing  $I_{3D}$ [H4'(n)-H1'(n)-CH3(n+1)] of  $C_8$  and  $G_{25}$  at 300 ms is equivalent to comparing their I<sub>2D</sub>[H1'(n)-H4'(n)] cross peaks at 300 ms. As  $I_{3D}[H4'(C_8)-H1'(C_8)-CH3(T_{10})]$  is greater than  $I_{3D}[H4'(G_{25})-H1'(G_{25})-CH3(T_{26})]$  (Table 3 and Fig. 3), we deduce that  $I_{2D}[H4'-H1'](C_8)$  is greater than  $I_{2D}$ [H4'-H1'](G<sub>25</sub>) at 300 ms. This confirms the above 2D NOE results, where  $r[H4'-H1'](G_{25})(300 \text{ ms})$  (2.85 Å) is found to be greater than r[H4'-H1']( $C_8$ )(300 ms) (2.45 Å)  $(r = r_{ref} * (V_{ref}/V)^{1/6})$  (Fig. 2). The same reasoning applied to [H4'(C<sub>8</sub>)-H1'(C<sub>8</sub>)-H6(T<sub>10</sub>)] and [H4'(G<sub>25</sub>)-H1'(G<sub>25</sub>)-H6(T<sub>26</sub>)] (magnetization transfer (2)) provides the same result (Table 3).

The validity of our method is then checked with  $T_{5=21}$ and  $G_{3=19}$  (Table 2). Selection of well-separated H6 ( $T_{5=21}$ ) and H8 ( $G_{3=19}$ ) planes permits the comparison of I<sub>3D</sub>[H4'( $G_{3=19}$ )-H1'( $G_{3=19}$ )-H8( $G_{3=19}$ )] and I<sub>3D</sub>[H4'( $T_{5=21}$ )-



Fig. 3.  $\omega$ 3 (acquisition dimension) sections of the 3D NOE-NOE spectrum. Sections are labelled with the residue number and interesting resonances are labelled with the residue number and the correlation pathway. The 3D experiment was conducted according to Boelens et al. (1989) with a spectral width of 4032 Hz in each of the three dimensions. It was recorded at 300 ms NOE mixing times in both steps of the magnetization transfer. Eight scans were collected and the relaxation time was 2 s. The data consisted of  $1024 \times 128 \times 200$  real points in the t<sub>3</sub>, t<sub>2</sub> and t<sub>1</sub> dimensions, respectively. t<sub>2</sub> and t<sub>1</sub> data points were processed with a sine-squared 90° phase-shifted function and the t<sub>3</sub> data points with a sine-squared 60° phase-shifted function. The acquisition dimension was zero-filled to 2048 points and the other two dimensions to 256 points.

H1'( $T_{5=21}$ )-H6( $T_{5=21}$ )] (magnetization transfer (1)). Table 3 and the preceding reasoning indicate that  $I_{2D}[H4'(G_{3=19})-H1'(G_{3=19})]$  is less than  $I_{2D}[H4'(T_{5=21})-H1'(T_{5=21})]$ . As H1'-H4' intranucleotide distances are only weakly distorted by spin diffusion (Chuprina et al., 1993; Fig. 2),  $d_{H4'H1'}G_{3=19}$ is greater than  $d_{H4'H1'}T_{5=21}$  and  $P_{T5=21}$  is less than  $P_{G3=19}$ , confirming the 2D results presented in Table 1.

H1'-H4' intranucleotide cross peaks of neither  $A_{2=18}$ nor  $T_{5=21}$  are overlapped (Table 2). Comparison of  $I_{3D}[H4'(A_{2=18})-H1'(A_{2=18})-H8(A_{2=18})]$  with  $I_{3D}[H4'(T_{5=21})-H1'(T_{5=21})]$  (magnetization transfer (1)) shows that the first intensity is less than the second one, while  $I_{2D}[H1'(A_{2=18})-H8(A_{2=18})]$  is found to be stronger than  $I_{2D}[H1'(T_{5=21})-H6(T_{5=21})]$  at 300 ms. As the 3D intensity is proportional to the product of the two 2D intensities,  $I_{2D}[H4'(A_{2=18})-H1'(A_{2=18})]$  at 300 ms is weaker than  $I_{2D}[H4'(A_{2=18})-H1'(A_{2=18})]$  at the same arguments as in the preceding paragraph show that  $P_{T5}$  is less than  $P_{A2}$ , agreeing with the 2D results (Table 1).

Adenines  $A_{4=20}$ ,  $A_7$ ,  $A_{12=28}$  and  $A_{23}$  and thymine  $T_{5=21}$ provide good examples of the application of this new method. The H1'-H4' intranucleotide NOE cross peak of  $A_{4=20}$  is found to overlap with that of  $A_7$  in 2D spectra (Table 2). Concerning  $A_{4=20}$  and  $A_{12=28}$ , distinct chemical shifts for H6( $T_{13=29}$ ) and H6( $T_{5=21}$ ) permit the selection of H68(n+1) ( $\omega$ 3) planes (Table 2), i.e. [H4'( $A_{12=28}$ )-H1'( $A_{12=28}$ )-H6( $T_{13=29}$ )] and [H4'( $A_{4=20}$ )-H1'( $A_{4=20}$ )-H6( $T_{5=21}$ )] magnetization transfers. From Table 3 and the preceding reasonings, we conclude that  $P_{A12=28} > P_{A4=20}$  (Wüthrich, 1986), constrained by  $P_{A12=28} - P_{A4=20} > 10^{\circ}$  (Table 1). For

 $A_{4=20}$ , we select  $H8(G_{6/22})$  (the slash indicating overlapped cross peaks) and H6( $T_{5=21}$ ) planes in the acquisition dimension, i.e. magnetization transfers (2). Table 3 further indicates that  $I_{3D}[H4'(A_{4=20})-H1'(A_{4=20})-H6(T_{5=21})]$  is less than  $I_{3D}[H4'(T_{5=21})-H1'(T_{5=21})-H8(G_{6/22})]$ . As at 300 ms  $I_{2D}[H1'(A_{4=20})-H8(T_{5=21})]$  is found to be greater than  $I_{2D}[H1'(T_{5=21})-H8(G_{6/22})]$  (Table 3), it is deduced that  $I_{2D}[H4'(A_{4=20})-H1'(A_{4=20})]$  is less than  $I_{2D}[H4'(T_{5=21})-$ H1'( $T_{5=21}$ )]. Thus,  $P_{A4=20} > P_{T5=21}$ , and is constrained by  $P_{A4=20} - P_{T5=21} > 10^{\circ}$  (Table 1). As mentioned above, the H1'-H4' intranucleotide cross peak of  $A_7$  is overlapped with that of  $A_{4=20}$ . We select the H6(C<sub>8</sub>) and H8(G<sub>25</sub>) acquisition planes, as they are well separated. The  $[H4'(A_{23})-H1'(A_{23})-H8(G_{25})]$  and  $[H4'(A_7)-H1'(A_7)-H6(C_8)]$ magnetization transfers, as well as Table 3, further show that PA23 and PA7 are essentially the same, which is represented in Table 3 by  $5^\circ > P_{A23} - P_{A7} > -5^\circ$ .

The intensities of H1'-H4' intranucleotide 2D cross peaks of  $C_{11}$  and  $C_{27}$  are not measurable, as these are overlapped with other cross peaks (Table 2). Selection of the H8(A<sub>12=28</sub>) ( $\omega$ 3) plane in 3D experiments permits us to have access to [H4'(C<sub>11</sub>)-H1'(C<sub>11</sub>)-H8(A<sub>12</sub>)] and [H4'(C<sub>27</sub>)-H1'(C<sub>27</sub>)-H8(A<sub>28</sub>)] 3D cross peaks, even if these two cross peaks remain superimposed in 3D spectra (magnetization transfer (2)). The data from Table 3 yield:

$$I_{3D}[H4'(C_{11/27})-H1'(C_{11/27})-H8(A_{12=28})] \approx I_{3D}[H4'(T_{5=21})-H1'(T_{5=21})-H8(G_{6/22})]$$
(2)

and also indicate that  $I_{2D}[H1'(C_{11})-H8(A_{12})]$  and

 $I_{2D}[H1'(C_{27})-H8(A_{28})]$  are similar, with their sum similar to  $I_{2D}[H1'(T_{5=21})-H8(G_{6/22})]$ . From this and Eq. 2 we can deduce through the preceding reasonings that  $I_{2D}[H4'(C_{11/27})-H1'(C_{11/27})]$  and  $I_{2D}[H4'(T_{5=21})-H1'(T_{5=21})]$  are similar. Actually, the strong intensity provided by overlapped peaks  $[H4'(C_{11/27})-H1'(C_{11/27})]$  is comparable to that generally noted for pyrimidine residues (Table 1).

The H1'-H4' intranucleotide 2D cross peak of  $G_6$  overlaps with that of  $G_{22}$  (Table 2). The H8(A<sub>7</sub>) and H8(A<sub>23</sub>) acquisition planes are well separated and allow selection of the [H4'(G<sub>6</sub>)-H1'(G<sub>6</sub>)-H8(A<sub>7</sub>)] and [H4'(G<sub>22</sub>)-H1'(G<sub>22</sub>)-H8(A<sub>23</sub>)] magnetization transfers. Table 3 indicates that P<sub>G6</sub> should be greater than P<sub>G22</sub> (i.e. P<sub>G6</sub> – P<sub>G22</sub> > 10° (Table 1)). Here, the phase of G<sub>6</sub> is found to be similar to those of A<sub>23</sub> and A<sub>12=28</sub>, and the phase of G<sub>22</sub> is similar to those of G<sub>3</sub> and A<sub>2</sub>.

The last example concerns residues  $A_{23}$  and  $T_{10}$ . The [H4'( $T_{10}$ )-H1'( $T_{10}$ )-H6( $T_{10}$ )] and [H4'( $A_{23}$ )-H1'( $A_{23}$ )-H8( $A_{23}$ )] magnetization transfers and Table 3 confirm that  $P_{T10}$  is smaller than  $P_{A23}$  (Table 1).

In conclusion, we propose a new method combining 2D and 3D experiments for determining sugar ring conformations. This method can be valuable for rather large oligonucleotides, where signal overlap is a common feature.

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